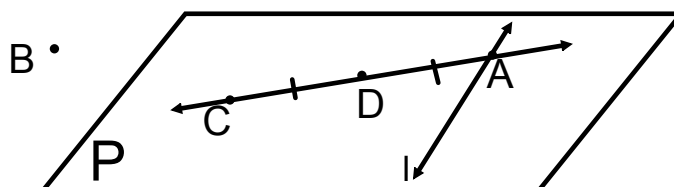


# Bellwork:

Give an example of what can and cannot be assumed by the diagram.



## Chapter 2.5: Reason Using Properties of Algebra

- Check out page 105 in text book for properties.

addition: if  $a=b$  then  $a+c=b+c$

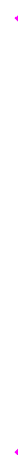
subtraction: if  $a=b$  then  $a-c=b-c$

multiplication: if  $a=b$  then  $ac=bc$

division: if  $a=b$  then  $\frac{a}{c} = \frac{b}{c}$

substitution: if  $a=b$  then  $a$  can be replaced with  $b$ .

distributive:  $a(b+c)=ab+ac$



solve with reasons.

$2x + 5 = 20 - 3x$ <small>+3x                      +3x</small>	Given
$5x + 5 = 20$ <small>-5                      -5</small>	+ prop of =
$5x = 15$	- prop of =
$x = 3$	$\div$ prop of =

solve with reasons:

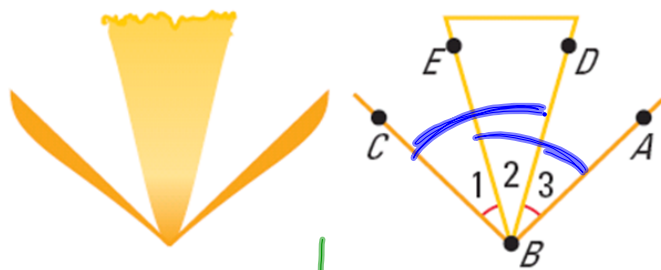
$-4(11x + 2) = 80$	Given
$-44x - 8 = 80$	dist. prop.
$-44x = 88$	+ prop of =
$x = -2$	$\div$ prop of =

Reflexive (same):  $a=a$  or  $\overline{AB}=\overline{AB}$  or  $\angle Z=\angle Z$

Symmetric (backwards):  $a=b$  then  $b=a$  or  $\overline{AB}=\overline{CD}$  then  $\overline{CD}=\overline{AB}$

Transitive (link):  $a=b$ ,  $b=c$  then  $a=c$

You are designing a logo. Use the information give to determine if  $m\angle EBA = m\angle DBC$



$\angle 1 \cong \angle 3$	given
$\angle 1 + \angle 2 = \angle CBD$	angle + prop
$\angle 2 + \angle 3 = \angle EBA$	angle + prop
$\angle 2 + \angle 3 = \angle CBD$	substitution prop
$\angle EBA \cong \angle CBD$	Transitive Prop

In the diagram,  $\overline{AB} = \overline{CD}$ . Show that  $AC = BD$



$AB = CD$	Given
$BC = BC$	Reflexive
$AB + BC = CD + BC$	+ prop of =
$AC = BD$	substitution

Homework: Chapter 2.5 pg.108

#'s 4,6-16e,22,24,35